

## Research Article

# A Textural Distributions-Based Detection of Hazelnut Axial Direction

Wenju Zhou<sup>1</sup>, Fulong Yao<sup>1,\*</sup>, Songyu Luan<sup>2</sup>, Lili Wang<sup>2</sup>, Johnkennedy Chinedu Ndubuisi<sup>1</sup>, Xian Wu<sup>1</sup>

<sup>1</sup>School of Mechatronic Engineering and Automation, Shanghai University, Shanghai, 200072, China

<sup>2</sup>School of Information and Electrical Engineering, LuDong University, Yantai, 264025, China

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## ABSTRACT

Since the shell of the hazelnuts is very hard, it is necessary to squeeze the slit in the axial direction to facilitate peeling. When the hazelnuts are automatically processed in the industry chain, the axial of the hazelnuts needs to be quickly positioned. In this paper, the sum of projection gradient in the sensitive area of the hazelnut image is used to locate the hazelnuts axial. Firstly, a search template with discrete paths is established to find the hazelnut contour and extract the hazelnut region from the image. Secondly, the sensitive area is selected to get projection histogram at different orientations, and then the gradient sums of the projection histograms are calculated. Thirdly, the axial orientation of the hazelnut is determined with the biggest sum. The experiments results show that the projection gradient sum method is fast enough and can meet the requirements of industrial production. The location accuracy of the projection gradient sum method is 94.2%.

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## 1. INTRODUCTION

Hazelnut is one of the best favorite snacks for consumers with high nutritional value and good taste. Presently, the mechanical crack is often adopted to process the hazelnut for food. To get a better crack effect, hazelnuts needs to be manually located on the production line so that it can be cracked along its axial orientation. The manual operation has two disadvantages: low locating efficiency and high labor costs. At present, the technology of machine vision and mechanical control are usually combined in the production line to improve the intelligence of the production and save labor costs.

The application of machine vision inspection technology has been widely studied in many fields, such as electronics [1,2], metallurgical [3,4], pharmaceutical [5], agricultural [6], fabric [7], and rail traffic [8,9]. The recognition technology based on the texture features have been researched by many scholars. Chen *et al.* adopted Bayesian data fusion technology to achieve automatic detection of metal surface cracks [10], Dutta *et al.* used texture analysis and supports vector regression to perform on-line tool prediction of flank wear from machined surface images [11], Hu used the optimal elliptical Gabor filter to automatically detect the defects in texture surface [12], Yuan and Sun proposed fingerprint texture detection based on histogram of oriented gradient [13], Fan *et al.* used texture regression via conformal mapping to locate the 3D facial landmark [14], Miao *et al.* studied on asphalt pavement surface texture degradation using 3D image processing techniques and entropy theory [15], Susan and Sharma used Gaussian mixture entropy model to detect texture automatically [16], Teo and Abdullah used local

texture analysis and Support vector machine (SVM) to detect solar cell micro-crack [17], Yang *et al.* proposed a method for detecting egg stains based on local texture feature clustering [18].

With the development of big data technology, machine learning has been widely used in vision system and laser imaging. Arun and Nath proposed a machine learning method for automated cashew grading system using external features like color, texture, size, and shape [19]. Woźniak and Połap used hybrid models of neural network and heuristic techniques to detect fruit peel defects [20]. In Castaño *et al.* [21,22], several artificial intelligence-based methods for obstacle recognition libraries are designed and applied using data collected by LiDAR sensors. In addition, many deep learning models have been successfully applied to fruit detection and location [23].

In the previous works, some methods related to the task of hazelnut detection have been proposed. Onaran *et al.* proposed a method to detect empty hazelnuts based on the analysis of the acoustic signal generated from the impact of the nut on a steel plate [24]. Khosa and Pasero proposed an X-Ray-based system for the classification of healthy and unhealthy hazelnuts [25]. In Caro *et al.* [26], a method for the inline quality evaluation of the inshell hazelnuts, based on Time-domain nuclear magnetic resonance (TD-NMR) analysis, has been proposed. However, these sensing systems are expensive and require a high computational cost.

As stated above, machine vision can be used for hazelnut axis location. It is noteworthy that although machine learning methods perform well in many tasks of machine vision, large amounts of data are needed to ensure the generalization performance [27]. It is clearly foreseen that the performance of machine learning will be

\*Corresponding author. Email: yaofl@shu.edu.cn

greatly reduced caused by the lack of available hazelnut samples. In addition, due to the complexity of these models, higher requirements are put forward for the supported hardware [28]. In comparison with machine learning methods, the method of hazelnut axis location based on surface texture features is promising. The surface textures of the hazelnut are random and variable because of its nature which puts high requirement on the robustness of the location algorithm.

To this end, our main contributions are listed as follows:

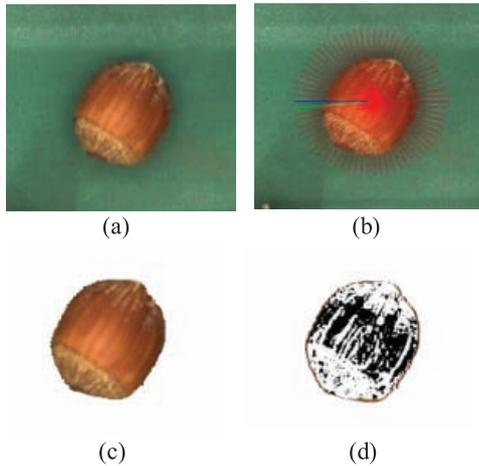
1. A fast extraction method of the hazelnut image based on the radially discrete search paths is proposed.
2. A novel method is proposed to locate hazelnuts axial orientation based on the texture characteristics of hazelnuts.
3. In order to improve the robustness and efficiency, an adaptive circle is used to select the appropriate projection area.

The rest of this article is organized as follows. Section 2 explains the extraction and binarization of the hazelnut image. Section 3 shows the method of projection gradient statistics. Section 4 discusses the proposed method. A brief conclusion is finally given in Section 5.

## 2. THE EXTRACTION AND BINARIZATION OF THE HAZELNUT IMAGE

As shown in Figure 1a, the color of hazelnut placed on the production line is different from the background area. The image of the hazelnut is collected by high-precision industrial camera. According to the different brightness values of the hazelnut image and the background area, a fast extraction method of the hazelnut image based on the radially discrete search paths is proposed as following.

1. The average pixel value of the hazelnut image and its background area,  $E_{in}$  and  $E_{extra}$ , are calculated, respectively. The mathematical expressions [29] are given in Equations (1) and (2).



**Figure 1** | Preprocessing of hazelnut images: (a) The original image, (b) Discrete path search template, (c) Hazelnut image extraction, (d) Binarization of the hazelnut image.

$$E_{extra} = \frac{\sum_{i=1}^m \phi(i)}{m} \quad (1)$$

$$E_{in} = \frac{\sum_{i=1}^q \phi(i)}{q} \quad (2)$$

Where  $m$  denotes the number of pixels in the selected background area,  $q$  is the number of pixels in the selected image area of the hazelnut, and  $\phi$  is the pixel value.

2. A search template based on radially discrete paths is established. The center of the image is considered as the origin point as shown in Figure 1b. The coordinates and storage forms of the points lies on the radial search paths include: Firstly, the coordinates of the points lie on the radial search paths are derived from the following formulas:

$$x_j = x_{j-1} + \cos\left(\frac{\pi}{180} \times D\right) \quad (3)$$

$$y_j = y_{j-1} + \sin\left(\frac{\pi}{180} \times D\right) \quad (4)$$

$$D = \frac{360}{n} * i \quad (5)$$

Where  $D$  is the angle of each search path,  $n$  is the number of search paths,  $i$  represents the serial number of the radial path,  $(x_j, y_j)$  is the pixel coordinate. Secondly, the search template is characterized by a three-dimensional array  $P[i, j, k]$ , where  $i$  is the serial number of the search path,  $i = 1, 2 \dots \dots n$ ;  $j$  is the pixel number on the  $i$ -th search path;  $k$  is the coordinate label of the  $j$ -th pixel point on the  $i$ -th search path. When  $k = 0$ ,  $P[i, j, k]$  represents the abscissa value of the  $j$ -th pixel point on the  $i$ -th search path, that is  $P[i, j, 0] = x_j$ ; when  $k = 1$ ,  $P[i, j, k]$  represents the ordinate value of the  $j$ -th pixel point on the  $i$ -th search path, that is  $P[i, j, 1] = y_j$ . Thirdly, the hazelnut image is detected with this template, and the search is performed along each radially discrete path to find the points lies on the hazelnut edge. The search formula is:

$$T_j = \frac{\arg \text{Min} (|\phi_{j+1} - E_{extra}| + |\phi_{j-1} - E_{in}|)}{\arg \text{Max} (|\phi_{j+1} - \phi_j| + |\phi_j - \phi_{j-1}|)} \quad (6)$$

Where  $T_j$  represent the pixel number of hazelnut edge point  $M(x_j, y_j)$  which lies on certain search path. The coordinates of searched edge point  $M(x_j, y_j)$  are saved in the array  $Q[p, k]$ ,  $p$  is the serial number of  $M(x_j, y_j)$ ,  $k$  is the coordinate label of  $M(x_j, y_j)$ ,  $Q[p, 1] = y_j$  and  $Q[p, 0] = x_j$  of  $M(x_j, y_j)$ . The hazelnut edge is plotted by the joining up all the searched edge points into a line, and the hazelnut image is extracted as shown in Figure 1c.

3. In order to observe the surface texture of the hazelnut more clearly, a binary filtering algorithm based on texture characteristics is used. As shown in Figure 2, the adjacent three  $3 \times 3$  pixel matrix blocks are compared with target pixel block (the

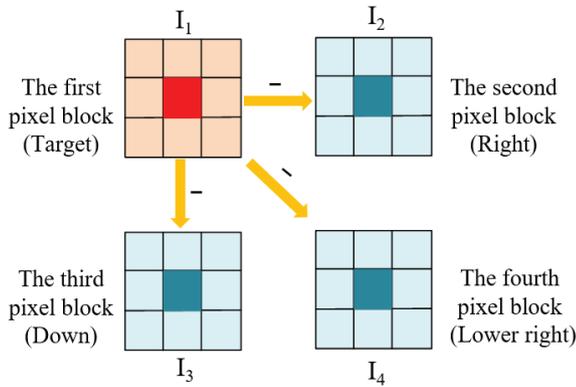


Figure 2 | Binary diagram.

first pixel block), so the parameters of  $D_{12}$ ,  $D_{13}$ ,  $D_{14}$ ,  $D_{sum}$  were obtained as showed in Equations (7–10). If  $D_{sum}$  is greater than the set threshold  $T$ , the value of the central pixel of the target pixel matrix block is set to 0 [30], otherwise it is set to 255 as showed in Equation (11).

$$D_{12} = \left| \sum_{i=1}^9 I_{1i} - \sum_{i=1}^9 I_{2i} \right| \quad (7)$$

$$D_{13} = \left| \sum_{i=1}^9 I_{1i} - \sum_{i=1}^9 I_{3i} \right| \quad (8)$$

$$D_{14} = \left| \sum_{i=1}^9 I_{1i} - \sum_{i=1}^9 I_{4i} \right| \quad (9)$$

$$D_{sum} = D_{12} + D_{13} + D_{14} \quad (10)$$

$$I_{15} = \begin{cases} 0, & D_{sum} > T \\ 255, & D_{sum} \leq T \end{cases} \quad (11)$$

Where  $I_{1i}$ ,  $I_{2i}$ ,  $I_{3i}$ ,  $I_{4i}$  represent the pixel from matrix blocks  $I_1$ ,  $I_2$ ,  $I_3$ ,  $I_4$ , respectively. The subscript includes two parts, the front one represents the matrix block index, and the last one denotes the pixel index.  $D_{12}$ ,  $D_{13}$ ,  $D_{14}$  represents the differences between two selected blocks.

The hazelnut image, as shown in Figure 1c, is binarized processed with the above adjacent  $3 \times 3$  pixel matrix blocks method, Figure 1d shows the binary image with clear texture.

### 3. THE METHOD OF PROJECTION GRADIENT STATISTICS

Figure 3 shows the flow of the projection gradient statistics. After binarizing the hazelnut image, an adaptive circle is used to extract the projection area of the hazelnut. Then the projection gradient statistical method is used to detect the axial direction of the hazelnut.

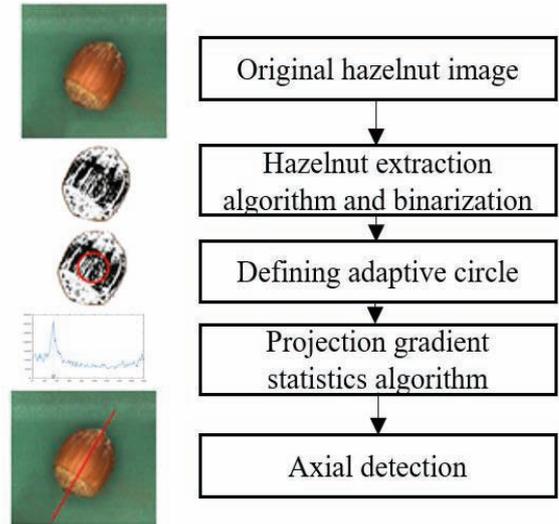


Figure 3 | Image processing flow.

### 3.1. The Extraction of Projection Area

It is necessary to select the appropriate projection area to improve the robustness and efficiency. An adaptive circle is used to select the central part of hazelnut image since the texture in this part is much clearer as showed in Figure 4. The center point of the adaptive circle is set on the center of gravity of the hazelnuts, the diameter of adaptive circle is analyzed to find the optimal value  $\alpha \times L$ ,  $L$  is the length of the long axis of the hazelnut,  $\alpha$  is the shrinkage ratio of the adaptive circle diameter to  $L$ . Table 1 shows the optimal  $\alpha$  is 0.4.

1. The center of gravity of the hazelnuts can be calculated according to the coordinate values of the hazelnuts image after binarization. The coordinate value  $(x_0, y_0)$  of the center of gravity of the hazelnuts, is the average coordinates of the pixels with value 1 in the binary image.
2. By searching for the coordinate points of the hazelnuts edge, the two coordinate points lie on the longest distance are obtained, defined as  $[x(a), y(a)]$ ,  $[x(b), y(b)]$ . The length of the two edge points which is indicated by  $L$ , is obtained by the Euclidean distance shown in Equation (12),

$$L = \sqrt{(x(b) - x(a))^2 + (y(b) - y(a))^2} \quad (12)$$

3. The shrinkage ratio is defined as  $\alpha$ .  $\alpha \times L$  is the adaptive circle diameter, and  $\alpha$  determined the size of projection area. As shown in Figure 4, two groups of hazelnuts photos with different  $\alpha$  are selected.

### 3.2. Projection Histogram Statistical Calculation

For the extracted projection area of the hazelnuts, the projection process can be expressed by the following formula [31].

$$g(\rho, \theta) = \iint_D f(x, y) \delta(x \cos \theta + y \sin \theta - \rho) dx dy \quad (13)$$

Where  $g(\rho, \theta)$  denotes the bins of the histogram,  $f(x, y)$  denotes the pixel density of the image at position  $(x, y)$ ,  $\delta(\cdot)$  is Dirac delta function,  $D$  represents the entire image.

Since the binarization image is discrete, Equation (13) can be rewritten to Equation (14), where  $f_1(x, y)$  is binarization result of  $f(x, y)$ ,

$$g(\rho, \theta) = \frac{1}{2} \sum_{(x,y) \in S} (1 + s(f_1(x, y)))(h_{left\rho} + h_{right\rho}) \quad (14)$$

$$h_{left\rho} = (1 + x \cos \theta + y \sin \theta - \rho) \delta(\lfloor x \cos \theta + y \sin \theta \rfloor - \rho + 1) \quad (15)$$

$$h_{right\rho} = (1 - x \cos \theta - y \sin \theta + \rho) \delta(\lfloor x \cos \theta + y \sin \theta \rfloor - \rho) \quad (16)$$

Where  $s(i) = \begin{cases} 1 & i = 255 \\ -1 & i = 0 \end{cases}$ ,  $\rho \in [0, N - 1]$  is the index of the bins,  $\theta \in [0, 180]$  is the rotation angle,  $S$  indicates the projection area,  $\lfloor \cdot \rfloor$  is floor round, which rounds the elements to the nearest integers toward minus infinity.  $h_{left\rho}$  and  $h_{right\rho}$  denote the contribution of the current bins based on the pixels of the left and right sides of  $\rho$  as shown in Figure 5.

Figure 5 shows a  $3 \times 3$  pixel projection histogram with vertical projection. Among them, the pixels in projection diagram (a) are located on the projected coordinates, while many pixels on projection diagram (b) do not fall at the projected coordinates. Therefore, it is necessary for us to further process the points that do not fall on the projected coordinates. For example, point A is on the left

side area of the vertical line  $\rho$ , the higher the value of  $h_{left\rho}$  (namely point A is closer to  $\rho$ ), the greater the impact on the  $\rho$ . In contrast, the lower the value of  $h_{left\rho}$  (namely point A is far to  $\rho$ ), the less the impact on the  $\rho$ . Point B is on the right side area of the vertical line  $\rho$ , the higher the value of  $h_{right\rho}$  (namely point B is far to  $\rho$ ), the less the impact on the  $\rho$ . In contrast, the lower the value of  $h_{right\rho}$  (namely point B is closer to  $\rho$ ), the great the impact on the  $\rho$ .

According to the rule shown in Equation (14), for a certain projection area, the image is rotated 180 times with a  $1^\circ$  rotation interval, so 180 projection histograms are obtained. Figure 6 shows several typical projection histograms.

For the same area surrounded by the adaptive circle, different projection angles correspond to different projection histograms.

In order to find the relationship between projection histogram and the axial orientation of the hazelnuts, we calculate the gradient sum  $S$  of projection histogram.

$Y$  is histogram sequence in a certain projection angle,

$$Y = \{y(1), y(2), \dots, y(i)\} \quad (17)$$

$\Delta Y$  is the difference sequence,

$$\Delta Y = \{\Delta y(1), \Delta y(2), \dots, \Delta y(i)\} \quad (18)$$

$$\Delta y(i) = \{y(2) - y(1), y(3) - y(2) \dots y(i) - y(i - 1)\}, i = 2, 3 \dots n \quad (19)$$

The gradient sum  $S$  of projection histogram is defined as the sum of absolute values of  $\Delta y(i)$ ,

$$S = \sum_{i=2}^n |y_i - y_{i-1}| \quad (20)$$

The gradient sums of 180 projection histograms  $S$  are calculated and the functional curve of  $S$  versus rotation angle is showed in Figure 7d. The calculated results give the rotation angel of the axial orientation of hazelnut when  $S$  reach its peak value. In this case, the axial angle is  $33^\circ$ .

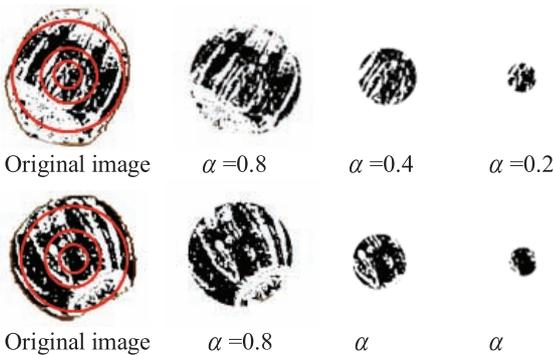


Figure 4 | The extracted projection region with different  $\alpha$ .

Table 1 | The angle deviation with different  $\alpha$ .

	$\alpha=1$	$\alpha=0.8$	$\alpha=0.6$	$\alpha=0.4$	$\alpha=0.2$
1	$6^\circ$	$3^\circ$	$1^\circ$	$0^\circ$	$37^\circ$
2	$3^\circ$	$1^\circ$	$1^\circ$	$0^\circ$	$17^\circ$
3	$0^\circ$	$0^\circ$	$0^\circ$	$0^\circ$	$10^\circ$
4	$5^\circ$	$4^\circ$	$2^\circ$	$1^\circ$	$20^\circ$
5	$0^\circ$	$0^\circ$	$0^\circ$	$0^\circ$	$35^\circ$
6	$0^\circ$	$0^\circ$	$0^\circ$	$0^\circ$	$2^\circ$
7	$4^\circ$	$2^\circ$	$1^\circ$	$0^\circ$	$3^\circ$
8	$4^\circ$	$1^\circ$	$1^\circ$	$0^\circ$	$18^\circ$
9	$6^\circ$	$4^\circ$	$1^\circ$	$2^\circ$	$7^\circ$
10	$1^\circ$	$1^\circ$	$0^\circ$	$0^\circ$	$52^\circ$

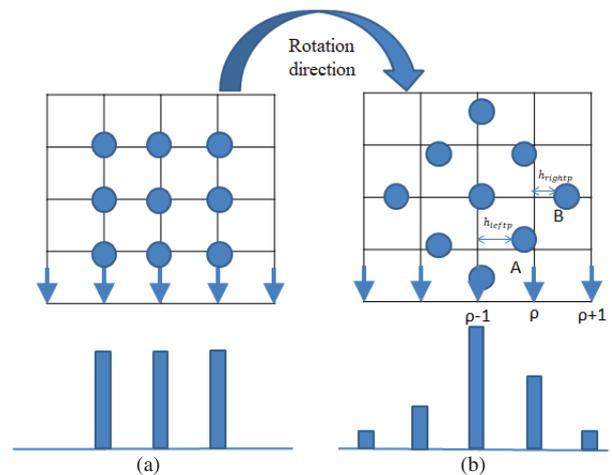


Figure 5 | Projective histogram demonstration.

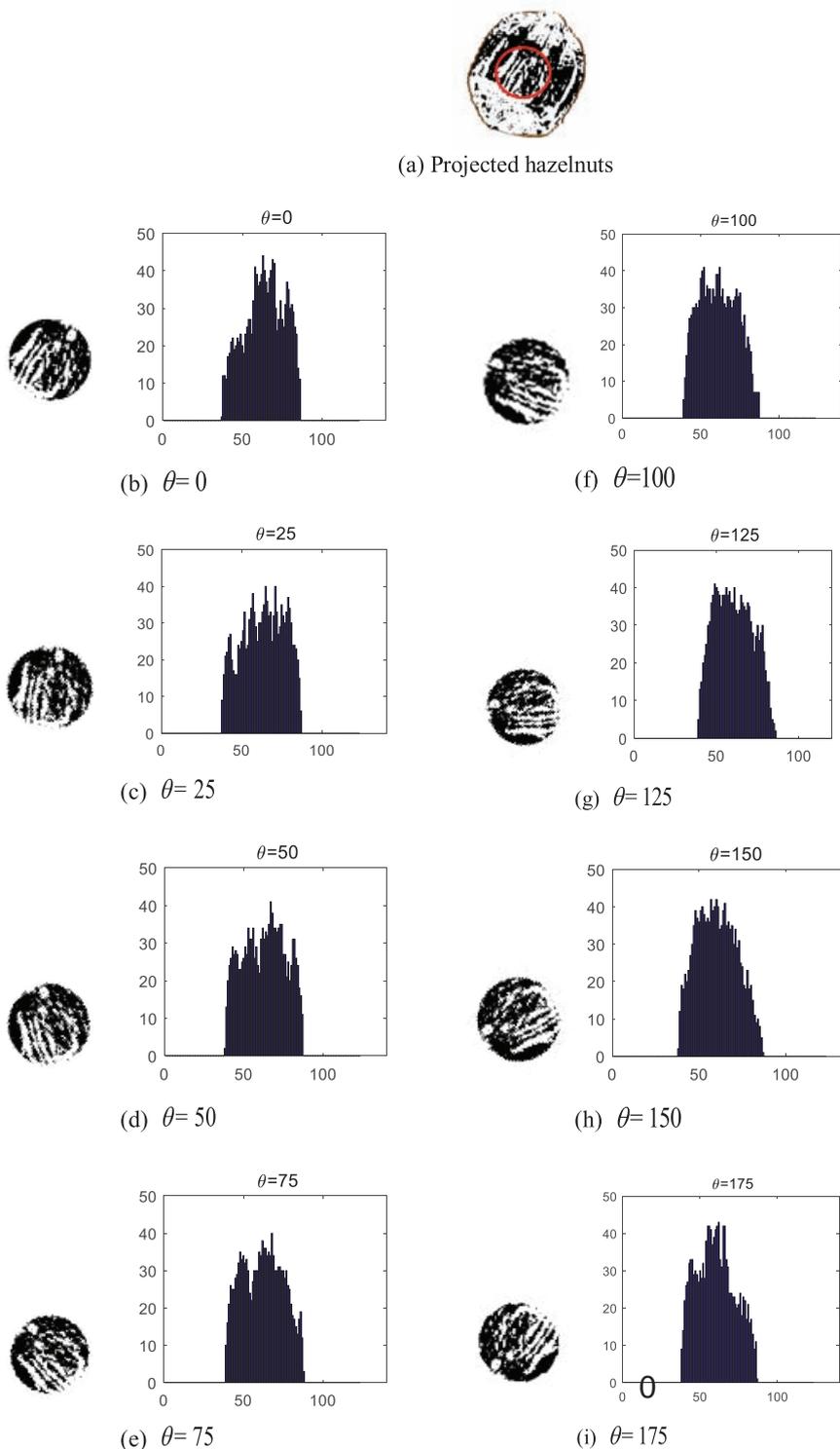


Figure 6 | Projection histograms with different rotation angle.

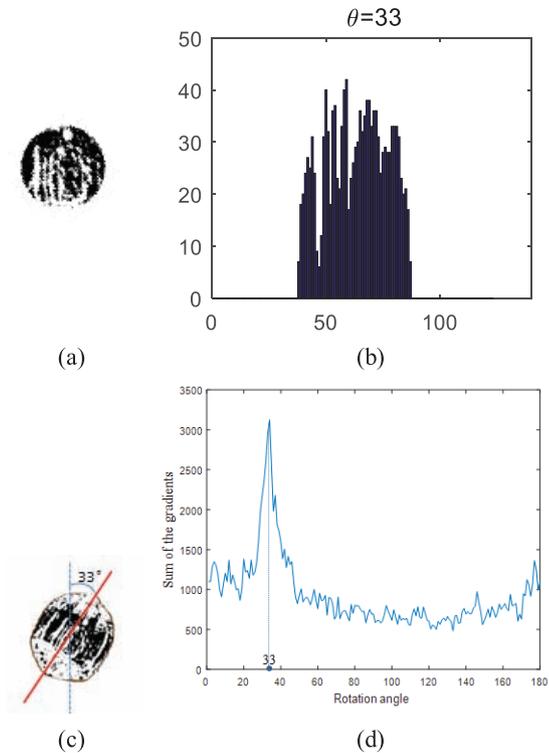
1000 hazelnuts images are taken for axial recognition. As shown in Table 2, the accuracy of the hazelnut image without and with adaptive circle is 72% and 94% respectively. Therefore, the method using adaptive circle extraction greatly improves the recognition accuracy. Figure 8 shows the recognition results of different hazelnuts when S reach its peak value.

#### 4. EXPERIMENTS AND ANALYSIS

In addition to the projection gradient statistics, we also designed another feasible algorithm. This section will introduce the implementation of the algorithm and the comparison of the two methods.

**Table 2** | The accuracy of hazelnuts axial recognition.

	Error	Correct	Accuracy (%)
Without extraction	280	720	72
Extraction with adaptive circle	60	940	94



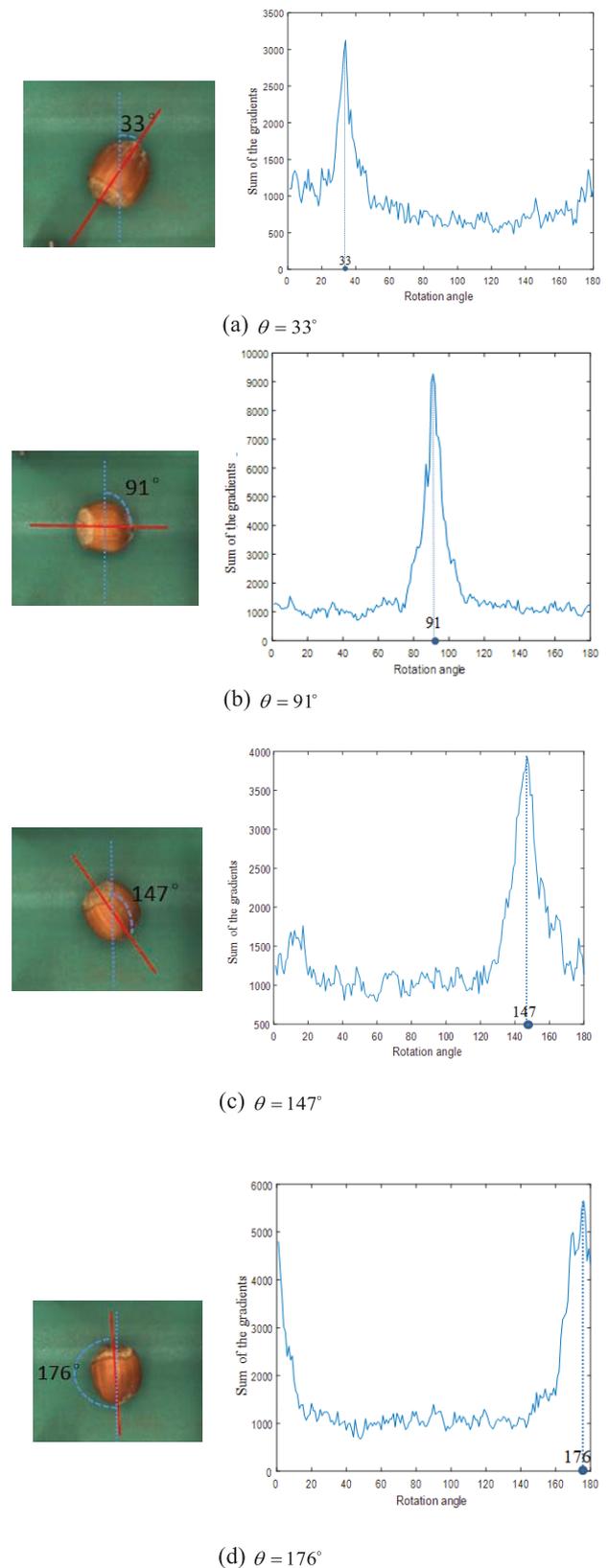
**Figure 7** | The projection histogram and recognition result: (a) the projection area, (b) projection histogram, (c) the result of axial detection, (d) the gradient sum of projection histogram.

### 4.1. Template Matching Algorithm

Figure 9 shows the diagram of the template matching method. After binarizing the hazelnut image, a rectangular stripe template is established based on the characteristics of the hazelnut image. Then the template is rotated to calculate the convolution results of template and detected images.

#### 4.1.1. The establishment of rectangular stripe template

As we all know, only when hazelnut is in the long axis direction, the vertical gradient is the smallest, and the horizontal gradient is the largest, as shown in Figure 10a. Inspired by Prewitt operator [32], we devised a novel stripe templates to detect the horizontal gradient during rotation. Moreover, to improve the robustness of the stripe templates, we set the size of the template matrix to  $m \times n$  ( $m$  and  $n$  are variable parameters, which can be adjusted according to the actual situation), template matrix is shown in Figure 10b. Obviously, while this stripe template is adopted, the convolution result can obtain the maximum value only the hazelnut rotates to the long axis direction.



**Figure 8** | The recognition results of hazelnut axial orientation.

As shown in Figure 10c, the black and the gray column corresponds to the black part and the white part of the binarized hazelnut images, respectively. In the template matrix as shown in Figure 10b, +1, -1, 0 is used to represent the value of black, the gray, and middle part in

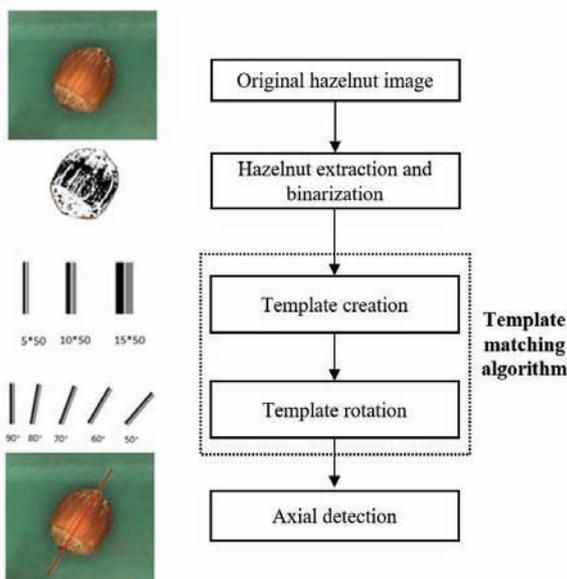


Figure 9 | Image processing diagram.

Figure 10c. The optimal length of row and column in the template matrix is decided by the convolution results as shown in Table 3. In this paper, the optimal length of template matrix row and column are 50 and 9,  $m = 50, n = 9$ . We calculate the convolution results with different templated matrix as shown in Table 3.

### 4.1.2. The discussion of optimal template size and axial recognition results

The rectangular stripe templates are obtained with  $1^\circ$  rotation interval, and parts of the template is showed in Figure 11.

The binarized hazelnut image is sequentially convoluted by the obtained 180 rectangular stripe templates as shown in Equation (21),

$$H_\theta = \sum_{[x,y] \in I} h_\theta[x,y] \tag{21}$$

$$h_\theta = |h[x,y] * g_\theta(x,y)| \tag{22}$$

$$H_{fit\theta} = \text{Max}_{\theta \in [1,180]} (H_\theta) \tag{23}$$

Where  $g_\theta[x,y]$  is the obtained template matrix with different rotation angle  $\theta, \theta = 1, 2 \dots \dots 180, h(x,y)$  denotes the brightness value of the pixel point  $(x,y), I$  denotes the convolution area,  $H_{fit\theta}$  is the maximal value of convolution calculation with different  $\theta, fit\theta$  obtained from the maximal convolution result,  $H_{fit\theta}$  is the rotation angle of hazelnut axial direction.

Figure 12 shows rectangular stripe templates with different size, the template with size of  $5 \times 40$  in the figure means that the length and width of the template are 5 and 40 pixel points, respectively. The convolution results show that optimal recognition accuracy is

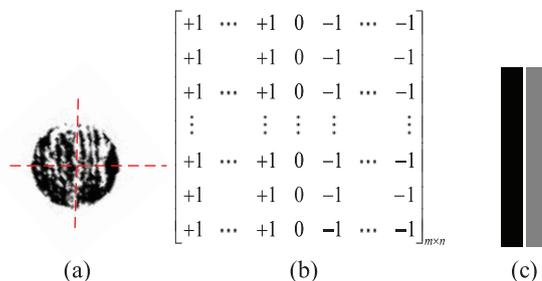


Figure 10 | (a) The vertical and horizontal directions of hazelnuts, (b) Template matrix, (c) Rectangular stripe template.

Table 3 | The detected angle error of hazelnut axial direction with different template size.

Template Size	1	2	3	4	5	6	7	8	Average
5*40	1°	2°	10°	3°	7°	2°	14°	4°	7°
9*40	5°	4°	7°	3°	2°	6°	1°	16°	5.5°
15*40	5°	21°	36°	6°	65°	7°	19°	31°	23.75°
5*50	5°	17°	26°	9°	21°	4°	6°	5°	11.63°
9*50	1°	2°	0°	1°	1°	0°	3°	0°	1°
15*50	15°	19°	10°	65°	2°	25°	6°	32°	21.75°
5*60	10°	5°	3°	11°	4°	2°	15°	4°	6.75°
9*60	15°	7°	8°	3°	5°	2°	3°	1°	5.5°
15*60	25°	9°	15°	36°	5°	14°	9°	74°	23.4°

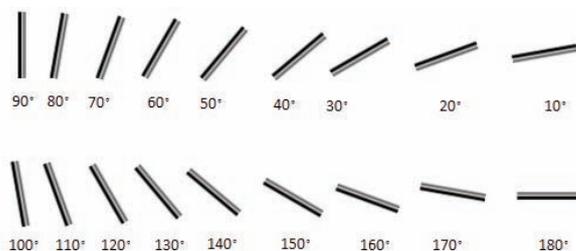
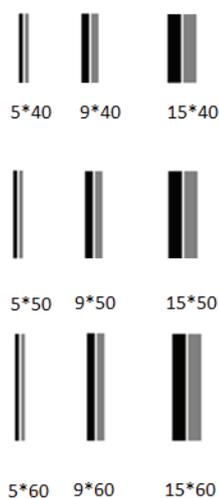


Figure 11 | Rectangular stripe template with different rotation angles.

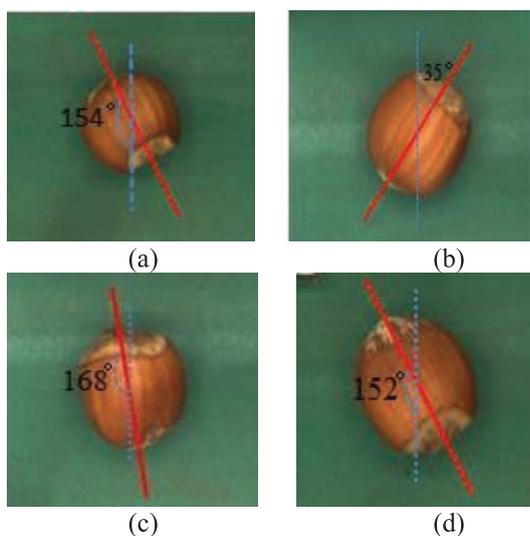
obtained when the template size is  $9 \times 50$ , as shown in Table 3. The average angle error of hazelnut axial direction is  $1^\circ$  when the template size is  $9 \times 50$ . Whereas the average angle error is up to  $23.75^\circ$  when the template size is  $15 \times 40$ . Figure 13 shows the recognition results of different hazelnuts when  $H_\theta$  reach its peak value.

## 4.2. Comparison and Experiments

The hardware configurations of Personal computer (PC) used in the experiments is Intel Dual-Core 3.0 GHz CPU, 8G RAM, and the used calculation software is C#. 10 groups of hazelnut samples were randomly selected, and each group contained 100 hazelnut images with different poses. The axial direction of 1000 hazelnuts images were detected by the projection gradient statistics and template matching, and the recognition time of each group was recorded in Table 4. The time used by projection gradient statistics and template matching methods, is labeled with (Projection/Template) respectively. Form the Table 4, we know that the average time of projection gradient statistics and template matching methods are 45.4 ms and 89.6 ms, respectively. Compared with projection gradient statistics, the speed of template matching calculation is longer due



**Figure 12** | Rectangular stripe templates with different size.



**Figure 13** | The recognition results of hazelnut axial direction with template matching.

**Table 4** | The comparison of time costs.

Label	1	2	3	4	5	6	7	8	9	10	Average
Template (ms)	87.7	88.6	94.3	90.7	86.5	85.2	88.1	92.1	93.2	90.3	89.6
Projection (ms)	46.7	48.6	44.3	45.7	46.8	45.6	47.1	44.1	43.2	42.3	45.4

to the repeated calculation of pixel points when setting step length. That is why we choose the projection gradient statistics method.

Apart from the time cost, we also studied the accuracy of the two methods. As shown in Table 5, 1000 hazelnuts images were detected in our experiments to confirm the recognition accuracy with two methods, the recognition accuracy are 88.6% and 94.2%, respectively. In summary, the two parameters recognition time and accuracy of the projection gradient statistics is much better than template matching method.

**Table 5** | The comparison of the recognition accuracy.

	Error	Correct	Accuracy (%)
Projection gradient statistics	58	942	94.2
Template matching method	114	886	88.6

## 5. CONCLUSION

This paper proposes an innovative method to recognize the axial direction of hazelnut based on machine vision. The sum of the absolute values of each histogram gradients are calculated based on binarized hazelnut image. In addition, the method of template matching is discussed. In this method, a rectangular stripe template is established and the rotated template is convoluted by binarized hazelnut image. The recognition results of the two methods are compared with the parameter of recognition time and accuracy.

## CONFLICT OF INTEREST

The authors declare that they have no competing interests.

## AUTHORS' CONTRIBUTIONS

All authors contributed to the work. All authors read and approved the manuscript.

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