

# Comparison and Verification of Methods for Multivariate Statistical Analysis and Regression in Crop Modelling

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**Abstract**—In crop modelling, factor analysis and regression type have direct influence on the accuracy of model, but the application of these methods usually depends on the experience. In this paper, the performance of some common methods of statistical analysis and regression model was compared and verified, in order to avoid the blindness in crop modelling. The monitoring data of growth environment and photosynthesis of tomato, pumpkin and cucumber was obtained by PTM-48A, for the object variable of CO<sub>2</sub> exchange rate, selectivity on the main environmental factors by correlation analysis and path analysis were quantify compared, the performance of four kinds of multivariate binomial regression equations was compared in respects of complexity and accuracy, then the effectiveness of modelling was verified with the selected optimized multivariate statistical analysis and regression equation. Results showed that path analysis was more comprehensive than correlation to discrimination the variables, and the pure quadratic was more suitable to crop modelling because of its simple structure and high accuracy. The conclusion of the paper has general applicability, and offers a useful reference and guide for the other crops' modelling.

**Keywords**—crop model; multivariate statistical analysis; regression; comparison

## I. INTRODUCTION

Crop model was one of the core technologies supporting the Precision Agriculture, and it was also the essential part of the intelligent production [1]. Crop model was to obtain accurately of growth environmental factors and physiological parameters, and to indicate quantitatively the relationship of them [2]. The typical crop models are DSSAT (Decision Support System of Agricultural Technology Transfer), APSIM (Agricultural Production Systems sIMulator), CERES (Crop and Environment Research Synthesis), and so on. Because of the difference of growth condition, location and variety, every crop model has its own adaptation and target. Based on the specific conditions, the universal model should be improved to satisfy the actual demand. The improved process not only demands the complete agriculture knowledge, but also needs high-level mathematics and computer resources. So the application of typical crop model is not widely, and the small sample size dedicated crop model for the actual demand is common in practice.

To build up a crop model, firstly the independent variables and dependent variables, which have large influence on the object variable of model, should be selected using methods of multivariate statistical analysis, using the professional data process tools like Excel, SPSS, and SAS. Then regression model or the other models should be used to build up the crop model. The practicality and accuracy of model should be verified, using the test data to predict the

unknown variable. The common multivariate statistical analysis includes standard correlation analysis [3], principal components analysis [4], path analysis [5], and so on. Regression analysis is generally used in mathematical modelling. But the independent variables and form of equation are always chosen by experience. And empirical equations are often multitude and inconsistent [6]. The existing small sample size crop model is well-directed but has low adaptability. Although the model has high accuracy, the multivariate statistical analysis and regression model are selected according to the experience, instead of the quantification comparison results of the methods [7]. The empirical and blind selection becomes the hindrance of application and development of model, which is also the difficulty of agricultural informatics.

In the paper, methods of multivariate statistical analysis and regression were compared, using the monitoring data of growth environment and photosynthesis of the tomato, pumpkin and cucumber. By the methods of correlation analysis and path analysis, the environmental characters impacting CO<sub>2</sub> exchange of the tomato and pumpkin were picked out to put the analysis methods into comparison. The regression equations were found to compare the models in respects of complexity and accuracy. The data of cucumber were used to verify the selected best multivariate statistical analysis and regression equation.

## II. MATERIALS AND METHODS

### A. Experimental Data

In the paper, three common outdoor vegetables, including tomato, pumpkin and cucumber, were continuously monitored for at least 24 hours, by using the PTM-48A photosynthesis monitor of B.F. Agritech Company [8][9], expecting to obtain the data of their photosynthetic physiological characteristic and growth environment. The monitoring time interval was uniform and set to 30 minutes, and the air flow was set to 0.84 LPM. The photosynthetic physiology and environmental factors online monitoring system includes five modules: the LC-4B leaf chamber, the multiple environmental factors sensors, the system console, the communication module and computer [10].

PTM-48A can obtained data of 31 variables for single monitor. The monitored data can be divided into two parts, the first part of which was four groups of data of physiological characteristic, and the rest was the ambient environmental parameters. We picked out the average value of four groups of CO<sub>2</sub> exchange rates as the object variable, and the ambient environmental parameters as independent variables to study the influence of growth environment on the CO<sub>2</sub> exchange rate of crop. In order to decrease the

amount of experimental work and study the physiological change of the whole crop, we took the average physiological value of four leaves as the physiological data of the whole crop.

Six environmental factors which were the independent variables, were summarized as follow: Air Temperature  $T_a$  ( $^{\circ}\text{C}$ ), Relative Humidity RH (%RH), Radiation  $R_a$  ( $\text{micromole}/\text{m}^2\cdot\text{s}$ ), Atmospheric Pressure  $P_a$  (mbar), Vapour Pressure Deficit  $V_{pd}$  (kPa), Dew Point  $D_p$  ( $^{\circ}\text{C}$ ), defined as  $X_1\sim X_6$ . The  $\text{CO}_2$  Exchange  $E$  ( $\text{micromole}/\text{m}^2\cdot\text{s}$ ) was defined as the independent variable  $Y$ .

### B. Analysis Methods

The analysis and process of experimental data was as Figure 1.

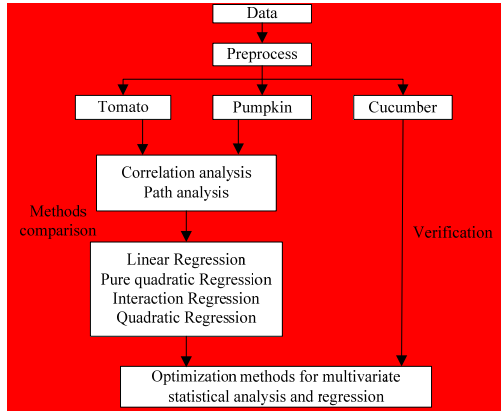


FIGURE 1. FLOWCHART OF ANALYSIS AND PROCESS

At first, the monitoring data was pre-processed to convert the output table into the table which the processing software can read. Forty-eight groups of data in 24 hours were chosen from the physiological and environmental data of the tomato and pumpkin as the experimental samples. The experimental samples were used for methods comparison, and the data of cucumber was for verification. The cucumber's data were divided into two parts, the first 48 groups of which were sampled data for modelling, and the rest were test data for predicting.

The pre-processed data was multivariate analysed, using two methods, namely the correlation analysis and path analysis, for the purpose of getting the environmental factors that affect the rate of  $\text{CO}_2$  exchange. In addition, the two methods were compared. In this paper, the Person simple correlation coefficient [11] [12] was adopted to indicate the relation between variables [13].

$$R_{ij} = \frac{C_{ij}}{\sqrt{C_{ii}C_{jj}}} \quad (1)$$

Here,  $C_{ij} = \text{cov}(x_i, x_j)$  was the covariance of  $x_i$  and  $x_j$ . The effect of environmental factors on  $\text{CO}_2$  exchange was expressed by the direct path coefficient  $\rho_i (i=1,2,\dots,n)$ , which was calculated as follow [14]:

$$\begin{bmatrix} \rho_1 \\ \rho_2 \\ \vdots \\ \rho_n \end{bmatrix} = \begin{bmatrix} c_{11} & c_{12} & c_{13} & \cdots & c_{1n} \\ c_{21} & c_{22} & c_{23} & \cdots & c_{2n} \\ \vdots & \vdots & \vdots & & \vdots \\ c_{n1} & c_{n2} & c_{n3} & \cdots & c_{nn} \end{bmatrix} \begin{bmatrix} r_{1y} \\ r_{2y} \\ \vdots \\ r_{ny} \end{bmatrix} \quad (2)$$

$n$  was the number of independent variables,  $y$  was the dependent variable,  $r$  was their correlation matrix, and  $c=r^{-1}$  was the invertible matrix of  $r$ . The indirect path coefficient  $b_{ij} = r_{ij}\rho_j$  was the product of the direct path coefficient and correlation coefficient, indicating the influence of independent variable  $x_i$  on dependent variable  $y$  through  $x_j$ .

Regression analysis was carried out, regarding the analysed environmental factors as independent variable and the  $\text{CO}_2$  exchange as a dependent factor. After determining the independent and dependent variables, the suitable model was selected. Then the coefficients were calculated by the least square method, according to the historic statistics. The multivariate binomial regression includes linear, pure quadratic, interaction and quadratic.

$$\text{Linear: } y = \beta_0 + \beta_1 x_1 + \cdots + \beta_m x_m \quad (3)$$

$$\text{Purequadratic: } y = \beta_0 + \beta_1 x_1 + \cdots + \beta_m x_m + \sum_{j=1}^m \beta_{jj} x_j^2 \quad (4)$$

$$\text{Quadratic: } y = \beta_0 + \beta_1 x_1 + \cdots + \beta_m x_m + \sum_{1 \leq j < k \leq m} \beta_{jk} x_j x_k \quad (6)$$

In the paper, the RMSE (Root Mean Square Error), standard error, was adopted as the standard of evaluating the curacy of the model [15]. The RMSE can be computed from the definition of it in Eq. (7).

$$RMSE = \sqrt{\frac{\sum_{i=1}^n (OBS_i - SIM_i)^2}{n}} \quad (7)$$

In Eq. (7),  $n$  was the number of samples,  $OBS_i$  is the observed value, and  $SIM_i$  is the simulated value. Taking account of two aspects including accuracy and complexity comprehensively, the optimal regression model was picked out. Using the optimal method of multivariate analysis, the modeling data of cucumber was analyzed and the regression model was developed. Practicability and accuracy was verified and the results were compared with that of the other prediction models.

## III. RESULTS AND DISCUSSION

### A. Multivariate Analysis of Tomato and Pumpkin

Six environmental factors, including Air Temperature  $T_a$ , Relative Humidity RH, Radiation  $R_a$ , Atmospheric Pressure  $P_a$ , Vapour Pressure Deficit  $V_{pd}$ , and Dew Point  $D_p$ , were chosen as the variables affecting  $\text{CO}_2$  Exchange  $E$ . The chosen environmental factors were defined as  $X_1\sim X_6$ . The  $\text{CO}_2$  Exchange  $E$  was defined as the independent variable  $Y$ . In Table 1, the Person correlation coefficients between  $\text{CO}_2$  exchange and its impact factors were calculated from Eq. (1). In Table 1, the upper halves of cells were the correlation coefficients of factors in tomato, and the lower halves were those in pumpkin.

TABLE I. CORRELATION OF CO<sub>2</sub> EXCHANGE AND ENVIRONMENTAL FACTORS IN TOMATO (T) AND PUMPKIN (P)

		$X_1$	$X_2$	$X_3$	$X_4$	$X_5$	$X_6$
$X_2$	T	-0.8402					
	P	-0.7560					
$X_3$	T	0.8031	-0.9183				
	P	0.7936	-0.9140				
$X_4$	T	-0.2837	0.0284	-0.0130			
	P	-0.3102	0.0792	-0.0259			
$X_5$	T	0.8611	-0.9962	0.9297	-0.0470		
	P	0.8500	-0.9720	0.9177	-0.1461		
$X_6$	T	-0.3652	0.8076	-0.7275	-0.2405	-0.7857	
	P	0.8768	-0.3487	0.4735	-0.3845	0.5023	
$Y$	T	0.8675**	-0.8435**	0.9234**	-0.1355	0.8513**	-0.5254**
	P	0.7820**	-0.8168**	0.9418**	0.0979	0.8188**	0.5311**

\*  $P < 0.05$ ; \*\*  $P < 0.01$ .

As shown in Table 1, the results of the pumpkin were consistent with that of the tomato. There were five environmental factors greatly affecting the E, including Ta, RH, Ra, Vpd and Dp, and Pa didn't express no significant

correlation with CO<sub>2</sub> exchange. Path analysis was carried out. Estimates of direct and indirect path coefficient are presented in Table 2.

TABLE II. PATH ANALYSIS OF CO<sub>2</sub> EXCHANGE AND ENVIRONMENTAL FACTORS IN TOMATO (T) AND PUMPKIN (P)

$X_i$	Direct path coefficient to $Y$		Indirect path coefficient via $X_j$			The summation of indirect impact		The summation of impact on $Y$	
	T	P	$j$	T	P	T	P	T	P
$X_1$	3.0900	-4.5518	2	0.5760	2.2371	-2.2225	5.338	0.8675	0.7820
			3	0.7959	0.6069				
			4	-0.0106	-0.0628				
			5	-4.3416	-0.5358				
			6	0.7578	3.0883				
$X_2$	-0.6855	-2.9593	1	-2.5963	3.4410	-0.1580	2.1425	-0.8435	-0.8168
			3	-0.9100	-0.6991				
			4	0.0011	0.0160				
			5	5.0230	0.6127				
			6	-1.6757	-1.2281				
$X_3$	0.9910	0.7648	1	2.4817	-3.6123	-0.0675	0.1769	0.9235	0.9418
			2	0.6295	2.7049				
			4	-0.0005	-0.0053				
			5	-4.6877	-0.5784				
			6	1.5095	1.6679				
$X_4$	0.0372	0.2024	1	-0.8766	1.4118	-0.1727	-0.1046	-0.1355	0.0979
			2	-0.0195	-0.2342				
			3	-0.0128	-0.0198				
			5	0.2372	0.0921				
			6	0.4990	-1.3544				
$X_5$	-5.0421	-0.6303	1	2.6607	-3.8690	5.8935	1.4491	0.8513	0.8188
			2	0.6829	2.8765				
			3	0.9213	0.7019				
			4	-0.0018	-0.0296				

			6	1.6302	1.7694				
$X_6$	-2.0749	3.5224	1	-1.1286	-3.9909	1.5495	-2.9914	-0.5254	0.5311
			2	-0.5537	1.0318				
			3	-0.7210	0.3622				
			4	-0.0089	-0.0778				
			5	3.9616	-0.3166				

NOTE:  $X_6$ , WHICH WAS DIFFERENT FROM  $X_1$ , WAS A VARIABLE OF  $X_1 \sim X_6$ .

From the information in Table 2, the results of path analysis in tomato and pumpkin, which showed that Pa had minimal effect on E, were consistent with that of correlation analysis. In addition, Pa had minimal direct effect on E in tomato, and Ra had minimal indirect effect followed by RH and Pa. While in pumpkin, Pa had both minimal direct and indirect effect on E. Based on the direct, indirect and total effect among the variables, Ta, RH, Ra, Vpd and Dp, were picked out as the independent variable affecting E.

Therefore, path analysis could not only reflect the relation between independent variables and dependent variable, but also indicate the contribution to dependent variable via other independent variables.

### B. Regression Modeling

According to the results of multivariate analysis, five impact factors, containing Ta, RH, Ra, Vpd and Dp, were picked out as the independent variable. The multivariate regression equation was found using these parameters and E. The comparison of four models' performance on complexity and accuracy was shown in Table 3. Here the number of coefficients was used to measure the complexity, and the RMSE is the measurement of accuracy.

TABLE III. COMPARISON OF FOUR BINOMIAL REGRESSION MODELS

		linear	pure quadratic	interaction	quadratic
Complexity		6	11	16	21
RMS E	Tomato	0.1141	0.0704	0.0698	0.0681
	Pumpkin	0.1870	0.1304	0.1038	0.0779

From Table 3, the linear model was the simplest model, but its accuracy was the worst. Although the accuracy of full quadratic model was the best, this model had the most coefficients. The accuracy of pure quadratic, interaction and full quadratic models are similar, and the pure quadratic model had the substantially lower complexity than others. Following the growth of complexity, the error decreased, but did not decrease linearly as the complexity increased. The decrease rate of error tended to diminished. On the whole, pure quadratic is the most optimal model among the four models because of its simpler structure and higher accuracy.

### C. Modeling and Verification

Since the experimental results of tomato and pumpkin showed that path analysis and pure quadratic were the optimal methods of analysis and modeling, we use the data of cucumber to verify the conclusion. The monitored data of cucumber were divided into two parts, the first 48 groups of which were sampled data for modeling, and the rest were test data. Using the modeling data of cucumber, we used path analysis to analyze the influence among the variables. The result was shown in Table 4.

From Table 4, the environmental factors except Pa had great impact on CO<sub>2</sub> exchange. Then the environmental characters related to CO<sub>2</sub> exchange were obtained by the method of path analysis. These environmental factors contain Ta, RH, Ra, Vpd, and Dp. On the basis of that, we found a quadratic regression equation, taking the calculated environmental factors as inputs, and CO<sub>2</sub> exchange rate E as output. The pure quadratic regression equation was as Eq. (8).

TABLE IV. PATH ANALYSIS OF CO<sub>2</sub> EXCHANGE AND ENVIRONMENTAL FACTORS IN CUCUMBER

		$X_1$		$X_2$		$X_3$		$X_4$		$X_5$		$X_6$	
Direct path coefficient to Y		7.3636		2.0796		0.7517		0.1609		-1.4298		-4.0549	
Indirect path coefficient	Indirect path coefficient via $X_j$	$X_2$	-1.8865	$X_1$	-6.6801	$X_1$	6.4627	$X_1$	2.0785	$X_1$	7.1332	$X_1$	7.1035
		$X_3$	0.6598	$X_3$	-0.5501	$X_2$	-1.5218	$X_2$	-1.1664	$X_2$	-1.9924	$X_2$	-1.5921
		$X_4$	0.0454	$X_4$	-0.0903	$X_4$	0.0367	$X_3$	0.1712	$X_3$	0.6281	$X_3$	0.6645
		$X_5$	-1.3851	$X_5$	1.3699	$X_5$	-1.1946	$X_5$	-0.5660	$X_4$	0.0637	$X_4$	0.0145
		$X_6$	-3.9116	$X_6$	3.1043	$X_6$	-3.5843	$X_6$	-0.3643	$X_6$	-3.5679	$X_5$	-1.2581
	Summation of indirect impact	-6.478		-2.8463		0.1987		0.1530		2.2647		4.9323	
Summation of impact on Y		0.8856		-0.7667		0.9504		0.3139		0.8349		0.8775	

NOTE:  $X_6$ , WHICH WAS DIFFERENT FROM  $X_1$ , WAS A VARIABLE OF  $X_1 \sim X_6$ .

$$E = -170.1205 - 0.361 T_a + 2.703 R_H + 0.0474 R_a + 30.8967 V_{pd} + 0.5306 D_p + 0.1455 T_a^2 - 0.00092 R_H^2 - 0.0001 R_a^2 - 17.5549 V_{pd}^2 - 0.2195 D_p^2 \quad (8)$$

In order to compare the pure quadratic model and the others, we also found the linear equation, interaction equation and full quadratic equation. The equations were as Eq. (9-11). And the comparison of four equations' performance on complexity and accuracy was shown in Table 5.

Linear equation:

$$E = -50.3625 + 4.0850 T_a + 0.4454 R_H + 0.03 R_a - 13.521 V_{pd} - 3.6346 D_p \quad (9)$$

Interaction equation:

$$E = 67.9611 + 26.0816 T_a - 0.7971 R_H + 0.3346 R_a - 55.5630 V_{pd} - 42.6381 D_p - 0.2339 T_a R_H + 0.0133 T_a R_a - 11.8382 T_a V_{pd} - 0.0424 T_a D_p - 0.0018 R_H R_a - 0.0884 R_H V_{pd} + 0.4176 R_H D_p - 0.0412 R_a V_{pd} - 0.0266 R_a D_p - 20.4119 V_{pd} D_p \quad (10)$$

Quadratic equation:

$$E = (1.1244 - 0.2663 T_a - 0.0061 R_H + 0.0006 R_a + 2.4858 V_{pd} + 0.1203 D_p + 0.0016 T_a^2 - 0.0000 T_a R_H - 0.1769 T_a R_a - 0.0159 T_a V_{pd} - 0.0000 T_a D_p - 0.0224 R_H^2 - 0.0001 R_H R_a + 0.0003 R_H V_{pd} + 0.0001 R_H D_p + 0.1517 R_a^2 + 0.0129 R_a V_{pd} - 0.0001 R_a D_p - 0.0000 V_{pd}^2 + 0.2824 V_{pd} D_p + 0.0034 D_p^2) \times 10^3 \quad (11)$$

TABLE V. COMPARISON OF FOUR BINOMIAL REGRESSION EQUATIONS

	linear	pure quadratic	interac	quad
Complexity	6	11	16	21
RMS	0.8080	0.6223	0.6262	0.50
E				27

The results in Table 5 show consistency with those in Table 3. The linear equation's accuracy was the worst. And full quadratic equation was so complex that it not suitable for modeling. Besides, the errors of pure quadratic and interaction equations were similar. But the pure quadratic equation was simpler than interaction equation.

Otherwise substituting the predicted data of cucumber into the Eq. (8-11), the ordinate is CO<sub>2</sub> exchange in terms of time. The comparison of predicted results of four regression equations was shown in Figure 2.

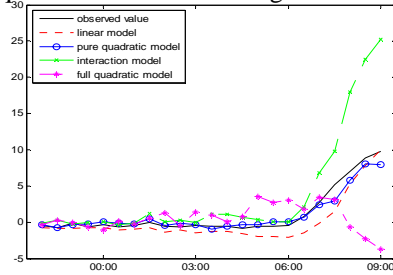


FIGURE II. MULTIVARIATE REGRESSION MODELS.

The results shown in Figure 2 indicated that the error of pure quadratic model was obviously the smallest. And the next best model was linear model. In addition, the accuracies of interaction and full quadratic models were worse, compared with the linear and pure quadratic model. The error of interaction model increased rapidly after 6 o'clock. And there was the fluctuation in the curve of full quadratic model after 3 o'clock.

## IV. CONCLUSIONS

The paper took tomato, pumpkin and cucumber as examples to study the relation between CO<sub>2</sub> exchange and its affecting environmental characters. According to the analyzed results of three plants, path analysis expresses comprehensively the inner influence between variables, because it shows not only the correlation between dependent and independent variables, but also the direct and indirect effects among variables.

In the analysis process of regression model, although linear model had the simplest structure, the error of that was the largest. So the linear model was not suitable for crop model which demands high accuracy. On the contrary, the quadratic model had the highest accuracy and the most complicated structure. For example, if the number of input variables is five, there will be twenty-one coefficients that need to be computed. From the comparison between four multivariate binomial regression models, the pure quadratic model had advantages over the others in simplicity and accuracy. All in all, through the comparison of common statistical analysis and regression model, we verified the better performance of path analysis and pure quadratic model. The paper could offer reference for crop modeling with small sample size [16], by the comparison of methods of multivariate analysis and regression.

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