

Research on Mass Ratio in Secondary Vibration Isolation

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Abstract: The secondary vibration isolation may be used to abate sound transmission in solid in the application of damping and noise reduction treatment engineering, which can have an ideal effect. The secondary vibration isolation system has a natural low frequency so it can isolate low frequency vibration. The choice of vibration isolation frame mass or ratio of vibration isolation frame mass and unit mass is key technology. Resonant mass ratio range may be obtained by way of research on the relationship between frequency ratio and mass ratio. The relationship between vibration isolation efficiency and mass ratio may be figured out through the example. The ratio of vibration isolation frame mass in secondary vibration isolation affects system's resonance frequency. Resonance frequency can be escaped when mass ratio is above 0.3. Better efficiency can be gained through big mass ratio when necessary.

Preface

At present, the application of the secondary vibration isolation technology increased in noise reduction treatment project^[1-2]. From January 1, 2008, Noise Emission Standard for Social & Living Environment (GB22337—2008) of national standard of PRC began to be carried out. Secondary vibration isolation can satisfy the stricter standard for sound transmission in solid. The choice of vibration isolation frame mass or ratio of vibration isolation frame mass and unit mass is key technology. In this thesis, the influence of vibration isolation frame mass or ratio of vibration isolation frame mass on vibration isolation parameter will be discussed.

Rational Option of Mass or Ratio of Vibration Isolation Frame Mass

On the design of secondary vibration isolation, m_2 , which is mass of vibration isolation frame, K_1 and K_2 , which are spring stiffness of secondary vibration isolation, are the dynamic parameters to be determined. While, K_1 can be designed as first vibration isolation and K_2 can be devised according to the consistent deformation between the two levels^[3]. Then, how to choose mass m_2 or how to determine mass ratio μ matters.

Fundamental Formula

According to the theory of secondary vibration isolation^[4-5], the following conclusion can be achieved:

$$\omega_1 = \sqrt{\frac{\omega_n^2}{2\mu} [(s + \mu + 1) \pm \sqrt{(s + \mu + 1)^2 - 4s\mu}]} \quad (1)$$

$$T_f = \frac{\omega_n^4}{(\omega^2 - \omega_1^2)(\omega^2 - \omega_2^2)\mu} \times \frac{k_2}{K_1} \quad (2)$$

in the formula, $\mu = m_2/m_1$, mass ratio; $S = \frac{K_2}{K_1}$, stiffness ratio; $\omega_n = \sqrt{\frac{k_1}{m_1}}$, intrinsic frequency.

Suppose the spring stiffness deformation is opted in both the first and secondary vibration isolation^[6-7], if $\delta_1 = \delta_2$, then:

$$K_2 = (1 + \mu)K_1 \quad (3)$$

Put (3) into two intrinsic frequency (1), then get:

$$\omega_1^2 = \omega_n^2 \frac{1 + \mu + \sqrt{1 + \mu}}{\mu} \quad (4)$$

$$\omega_2^2 = \omega_n^2 \frac{1 + \mu - \sqrt{1 + \mu}}{\mu} \quad (5)$$

Relationship of Mass Ratio and Frequency Ratio

From (2), we know when $\omega = \omega_1$ or $\omega = \omega_2$, resonance occurs in the system. Resonance frequency of secondary vibration isolation is:

$$\omega^2 = \omega_n^2 \frac{1 + \mu \pm \sqrt{1 + \mu}}{\mu} \quad (6)$$

if $\omega^2 / \omega_n^2 = a$, then from (6):

$$\mu = \frac{2a - 1}{(a - 1)^2} \quad (7)$$

Because a is far more than 1, formula (7) can approximately be:

$$\mu \cong \frac{2}{a - 2} \cong \frac{2}{a} \quad (8)$$

Fig. 1 illustrates equation (8).

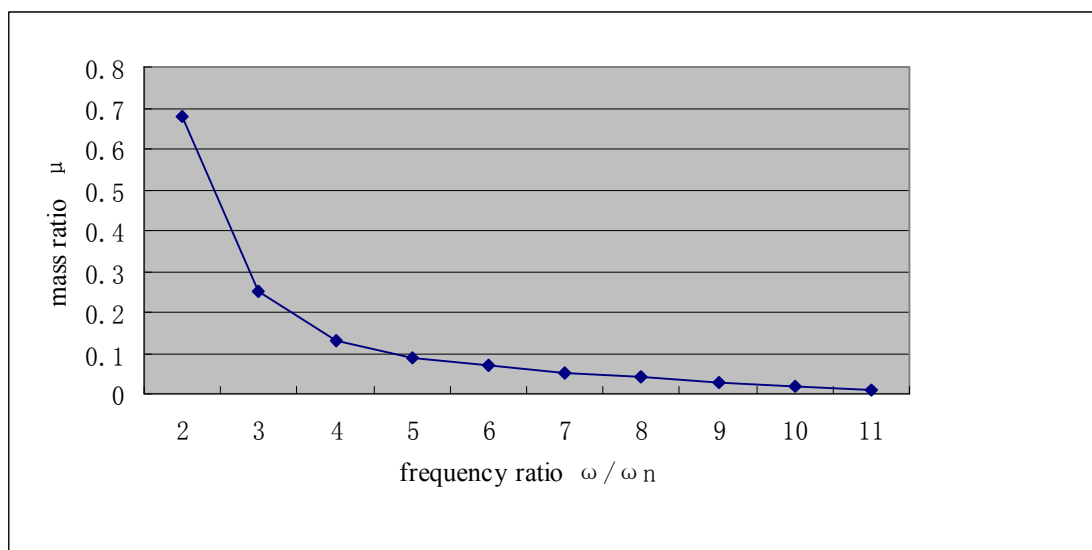


Fig. 1, Relationship of Mass Ratio and Frequency Ratio

It can be concluded by Fig. 1 that reduction of mass ratio changes together with increase of frequency ratio. Therefore, resonance is likely to appear when lighter vibration isolation frame is chosen. The typical frequency ratio of first vibration isolation $\omega/\omega_n=3-6$, then mass ratio which causes resonance in the secondary vibration isolation is 0.06-0.25. To prevent resonance, mass ratio should be more than 0.3 [8].

Example Calculation

Take the secondary vibration isolation of refrigeration compressor unit as an example to research the parameter.

The weight of refrigeration compressor unit is 2800kg. Frequency modulation working system is available. Revolution adjustment range is 700-2800r/min.

Six compressors are fixed in a rack shaped like “I”. The machine room is located on the ground floor, (the second floor underground exists). In practice, the refrigeration compressor unit is installed in the ceiling. The serious vibration and noise pollute residents on upstairs through sound transmission in solid. Fig. 2 shows the example of refrigeration compressor unit.



Fig. 2, Photo of Refrigerant Compressor Unit

To abate sound transmission in solid, secondary vibration isolation is adopted. Spring dampers of identical stiffness are prepared for both the upper and the lower layers of the vibration isolation frame. The amount of springs in lower layer will be added in order to maintain consistent deformation of springs along with alteration of mass ratio.

After being calculated by software of excel, Fig. 3, presents the results.

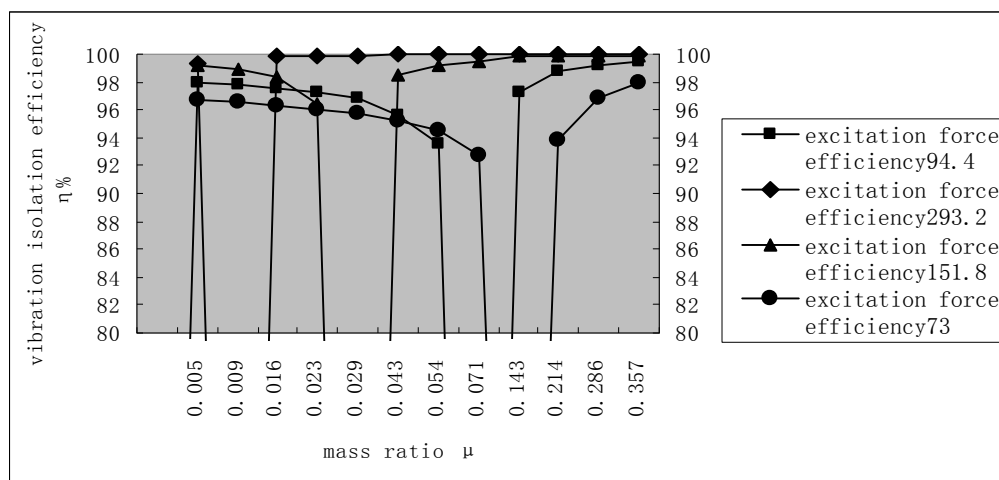


Fig. 3, Relationship between Mass Ratio and Vibration Isolation Efficiency

From Fig. 3, adopting light vibration isolation frame is equivalent to first vibration isolation. The cascading springs will decrease half of the stiffness. According to the theory of first vibration isolation, vibration isolation efficiency can also be relatively high. Meanwhile, from diagram 3, it can be concluded that excitation force efficiency affects mass ratio. The higher the excitation force efficiency is, the lower the mass ratio will be. No resonance of excitation force efficiency can be detected when the mass ratio is above 0.25. Then the theoretical analysis is verified.

Resonance reflects the negative vibration isolation efficiency. The increased transmitting force and larger amplitude eliminate vibration isolation. Thus, mass ratio is the decisive factor of the project. To avoid resonance range, the appropriate mass ratio is above 0.3.

Conclusion

Mass ratio of vibration isolation frame will affect resonance frequency of the system. The resonance frequency can be avoided when the mass ratio is more than 0.3. The larger mass ratio will ensure high efficiency and avoidance of resonance, if possible.

To obtain higher vibration isolation frequency, relatively smaller vibration isolation frame or ratio will be preferable. However, resonance frequency should be avoided when determining mass ratio.

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