

Modeling of Development Scenarios of Critically Important Objects for Support of Adoption of Scientifically Based Decisions*

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Abstract—Cognitive and simulation modeling is applied to research the behavior of critically important objects. The fuzzy cognitive model of the organizational-control structure of the object under study is proposed. A computer experiment is carried out, the development scenarios of the object are modeled under the conditions of various disturbances

Keywords— critically important objects; decision-making, modeling, scenarios

I. INTRODUCTION

Adequate mathematical mapping of the surrounding world to accept scientific-reasonable decisions in problematic situations is one of the fundamental problems in the field of modern modeling and development of decision support intelligence technologies.

Recently, there has been a stable interpretation of the term "Critically important object" (CIO) under which objects are understood, the violation and/or the interruption of functioning of which results in a minimum of problems in the safety of the vital activity of the population, destruction of the infrastructure, and as a maximum, to irreversible changes in the economics of the individual subject/industry/country. Therefore the problem of ensuring security of CIO and the population from influence of such factors as the negative impact of natural, technogenic and terrorist character and/or loss of their management is relevant, and development of models, methods, algorithms for development of scientifically based decisions on steady functioning of CIO and to decision-making in problem situations is the important direction of modern applied modeling to which enough works in Russia and abroad is devoted [1-5].

II. PROBLEM DEFINITION

Now in the territory of the Russian Federation about 4,5 thousand CIO among which the nuclear power plants (NPP) hold a specific place function, this is the subject of the study in

this work. Constant increase of the volumes of the obtained and stored, heterogeneous information is the characteristic of the named object of the investigation. However, formalized approaches are required for processing such information and for taking a timely solution from the evaluation of the current situation under the conditions of CIO monitoring. The pronounced system character of this problem determines the need to develop a certain complex of models and methods, which is able to provide support of decision-based control decisions. This is why we propose the use of a cognitive-simulation apparatus.

III. DEVELOPMENT AND RESEARCH OF MODEL

The analysis of open information sources has led to definition of model concepts, by means of experts the generalized organizational-control fuzzy cognitive model of the NPP is developed (Fig.1).

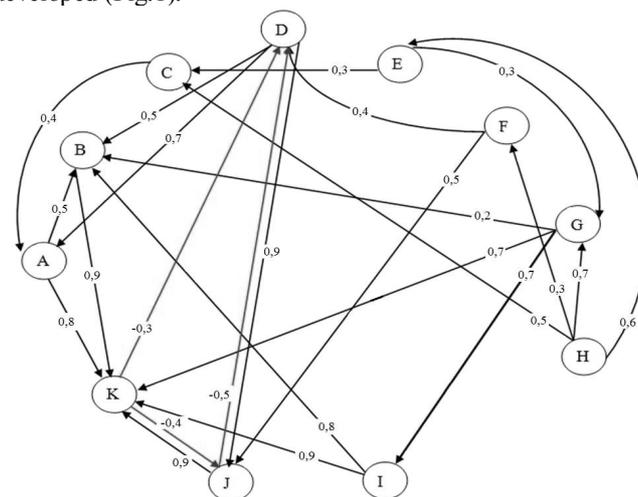


Fig. 1. The fuzzy cognitive model of the NPP organizational-control structure

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List of concepts: A (x_1) - the monitoring system of operational data of the NPP (regarding radiation and fire monitoring of an object); B (x_2) - the decision-making speed; C (x_3) - innovative technologies of tracking and control, introduction of modern information technologies (IT) minimizing risk of a human factor (the automated human-machine systems); D (x_4) - a human factor (qualification of personnel, education level, technological culture); E (x_5) - updating coefficient improvement; F (x_6) - specifications and technical documentation improvement; G (x_7) - working capacity and system effectiveness of reserve power supply; H (x_8) - investments (state financing); I (x_9) - the combat readiness level and fire scheduled maintenance of object fire divisions; J (x_{10}) - personal responsibility of employees; K (x_{11}) - NPP safety.

$$A = \begin{bmatrix} 0 & 0,5 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0,8 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0,9 \\ 0,4 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\ 0,7 & 0,5 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0,9 & 0 \\ 0 & 0 & 0,3 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0,4 & 0 & 0 & 0 & 0 & 0 & 0,5 & 0 \\ 0 & 0,2 & 0 & 0 & 0 & 0 & 0 & 0 & 0,7 & 0 & 0,7 \\ 0 & 0 & 0,5 & 0 & 0,6 & 0,3 & 0,7 & 0 & 0 & 0 & 0 \\ 0 & 0,8 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0,9 \\ 0 & 0 & 0 & -0,5 & 0 & 0 & 0 & 0 & 0 & 0 & 0,9 \\ 0 & 0 & 0 & -0,3 & 0 & 0 & 0 & 0 & 0 & -0,4 & 0 \end{bmatrix}$$

Reachability matrix:

$$\gamma = \begin{bmatrix} 1 & 0,5 & 0 & 0,4 & 0 & 0 & 0 & 0 & 0 & 0,4 & 0,8 \\ 0,4 & 1 & 0 & 0,4 & 0 & 0 & 0 & 0 & 0 & 0,4 & 0,9 \\ 0,4 & 0,4 & 1 & 0,4 & 0 & 0 & 0 & 0 & 0 & 0,4 & 0,4 \\ 0,7 & 0,5 & 0 & 1 & 0 & 0 & 0 & 0 & 0 & 0,9 & 0,9 \\ 0,3 & 0,3 & 0,3 & 0,3 & 1 & 0 & 0 & 0 & 0 & 0,3 & 0,3 \\ 0,5 & 0,5 & 0 & 0,5 & 0 & 1 & 0 & 0 & 0 & 0,5 & 0,5 \\ 0,4 & 0,7 & 0 & 0,4 & 0 & 0 & 1 & 0 & 0,7 & 0,4 & 0,7 \\ 0,4 & 0,7 & 0,5 & 0,4 & 0,6 & 0,3 & 0,7 & 1 & 0,7 & 0,4 & 0,7 \\ 0,4 & 0,8 & 0 & 0,4 & 0 & 0 & 0 & 0 & 1 & 0,4 & 0,9 \\ 0,5 & 0,5 & 0 & 0,5 & 0 & 0 & 0 & 0 & 0 & 1 & 0,9 \\ 0,4 & 0,4 & 0 & 0,4 & 0 & 0 & 0 & 0 & 0 & 0,4 & 1 \end{bmatrix}$$

Further we find: $V(x_1) = 0(x_1) \vee 0(x_2) \vee 0(x_3) \vee 0(x_4) \vee 0(x_5) \vee 0(x_6) \vee 0(x_7) \vee 0(x_8) \vee 0(x_9) \vee 0(x_{10}) \vee 0(x_{11}) \vee 0,4(x_1 \times x_3 \times x_5 \times x_6 \times x_7 \times x_8 \times x_9) \vee 0,4(x_2 \times x_3 \times x_5 \times x_6 \times x_7 \times x_8 \times x_9) \vee 0,4(x_3 \times x_4 \times x_5 \times x_6 \times x_7 \times x_8 \times x_9) \vee 0,4(x_3 \times x_5 \times x_6 \times x_7 \times x_8 \times x_9 \times x_{10}) \vee 0,4(x_3 \times x_5 \times x_6 \times x_7 \times x_8 \times x_9 \times x_{11}) \vee 0,5(x_1 \times x_2 \times x_3 \times x_4 \times x_5 \times x_6 \times x_7 \times x_8 \times x_9 \times x_{10}) \vee 0,5(x_1 \times x_2 \times x_3 \times x_5 \times x_6 \times x_7 \times x_8 \times x_9 \times x_{10} \times x_{11}) \vee 1(x_1 \times x_2 \times x_3 \times x_4 \times x_5 \times x_6 \times x_7 \times x_8 \times x_9 \times x_{10} \times x_{11}) = 0,4$. It means that the structural stability degree of the studied model is at the level of 0,4 that classifies model as so-so steady.

B. The Topological Analysis of Model Structure

The first step of topological analysis is to determine the interaction of the concepts on each other, and also obtaining information on implicit mutual effects between the concepts [9]. Results of system indicators calculation of FCM are presented (Table I).

A. Stability Model

The analysis of the developed model on stability is the following stage of modeling. It is suggested to examine the developed model for structural stability as follows. In this work, the fuzzy cognitive model (FCM) is fuzzy directed graph of the first kind. So, the fuzzy cognitive model is a [6] pair of sets $\tilde{G} = (X, \tilde{U})$ in which $X = \{x_i\}$, $i \in I = \{1, 2, \dots, n\}$ is a crisp set of vertices (or concepts), and $\tilde{U} = \{ \langle \mu_U \langle x_i, x_k \rangle / \langle x_i, x_k \rangle \rangle \}$ is a fuzzy set of edges (or arcs), where $\langle x_i, x_k \rangle \in X^2$, and $\mu_U \langle x_i, x_k \rangle$ is a degree of membership oriented edge $\langle x_i, x_k \rangle$ to fuzzy set of directed edges \tilde{U} .

To determine the stability of the FCM, it is possible to apply the approach described in [7] and associated with finding the eigenvalues of the weighted orgraph, however, in the case of an fuzzy model, it is believed that this approach is not reasonably correct. It is suggested to research the stability model by determining the vitality degree of an fuzzy graph under which we will understand the degree of structural stability of the model under investigation. We will consider the vitality degree of fuzzy graph as a degree of strong connection, so it will be defined by the formula $V(\tilde{G}) = \bigwedge_{x_i \in X} \bigwedge_{x_j \in X} \tau(x_i, x_j)$. [8] and can be determined through the strong connectivity degree in case of fulfillment of the condition: $(\forall x_i \in X)(S_{\tilde{F}(x_i)}^{\downarrow} = X)$, where $\tilde{F}(x_i)$ - fuzzy transitive closure. In detail the algorithm is described in [8]. The algorithm has been realized for the studied model. Adjacent matrix:

TABLE I. SYSTEM INDICATORS

	Consonance of influence of vertex on system	Consonance of influence of system on vertex	Dissonance of influence of vertex on system	Dissonance of influence of system on vertex	Influence of vertex on system	Influence of system on vertex
x_1	0,72	0,34	0,28	0,66	0,05	0,05
x_2	0,68	0,52	0,32	0,48	-0,005	0,25
x_3	0,79	1	0,21	0	0,06	0,07
x_4	0,72	0,22	0,28	0,78	0,22	-0,18
x_5	0,75	1	0,25	0	0,10	0,05
x_6	0,68	1	0,32	0	0,17	0,03
x_7	0,72	1	0,28	0	0,12	0,09
x_8	0,7	1	0,3	0	0,3	0
x_9	0,72	1	0,28	0	0,08	0,13
x_{10}	0,72	0,35	0,28	0,65	-0,06	-0,08
x_{11}	0,67	0,44	0,33	0,56	-0,13	0,5

The data is analysed: the vertex x_{10} is inconsistent but balanced as it attenuates FCM (-0.06), but equally and FCM attenuates this vertex (-0.08), ie, the node x_{10} with a negative effect that appears to be two-sided, there being no negative cycles. If there were negative cycles in the FCM, then with positive external action on the vertices, which make up the cycle, their negative influence on the FCM over time increased. If the vertices that make up the cycle negatively affect, then this would result in a positive effect for the system as a whole. The greatest impact on the FCM side is the vertex x_{11} (0.51), x_9 (0.13), x_7 (0.09), x_6 (0.03), x_5 (0.05), x_3 (0.07), x_2 (0.25), x_1 (0.05). High probability of, that influence of FCM on these nodes is able to damp any negative effect from outside. That is, if the operator intends to want to have any long-term action thereon, it should be made to be influenced by indirect acting on the vertices x_{11} and x_2 . By analyzing all the values of the consonance and dissonance of the effect of all the nodes on the FCM, it is possible to conclude on the fact, all relationships between the vertices of the experts are set correctly and re-matrixes of them are not necessary.

The second step is the detection of significant model relationships [10]. For this, the values of the links between the vertices are to be transformed as follows:

- 1) if the initial value is in the range of $[1, 0)$, then is given «-1»;
- 2) if the initial value is in the range of $[0, 0,5)$, then is given «0»;
- 3) if the initial value is in the range of $[0,5, 1)$, then is given «1».

Next, the calculation of the simplex dimensionality of the complex $K_x(Y; \lambda)$ and $K_y(X; \lambda^*)$ is sequentially carried out. The first structural vector of a complex $K_x(Y; \lambda)$ and connectivity value for $K_x(Y; \lambda)$ is defined:

$$\begin{aligned}
 q &= 3, Q_3 = 1, \{x_8\}; \\
 q &= 2, Q_2 = 2, \{x_8, \{x_4\}, \{x_7\}\}; \\
 q &= 1, Q_1 = 5, \{x_8, x_5\}, \{x_6, x_4\}, \{x_7, x_9\}, \{x_{10}\}; \\
 q &= 0, Q_0 = 3, \{\text{everything, except } x_1, x_2 \text{ и } x_3\}.
 \end{aligned}$$

At the level $q = 1$ there is a coherent component ($\{x_8, x_5\}, \{x_6, x_4\}, \{x_7, x_9\}$) this means that if the control is applied to x_5 and x_8 , they respond to this action. As target concepts, x_8 nodes may be selected. Furthermore, the elimination of such nodes x_4 and x_7

from the system is equal to the destruction of the system. In this case, special attention must be paid to the nodes x_1, x_2 and x_3 , since they can be a problem to effectively interact with the vertices between each other. Connectivity value for $K_y(X, \lambda^*)$:

$$\begin{aligned}
 q &= 3, Q_3 = 2, \{y_2\}, \{y_{11}\}; \\
 q &= 2, Q_2 = 2, \{y_2\}, \{y_{11}\}, \{y_4\}, \{y_{10}\}; \\
 q &= 1, Q_1 = 3, \{y_1\}, \{y_2\}, \{y_{11}\}, \{y_4\}, \{y_{10}\}, \{y_3, y_7\}, \{y_6\}; \\
 q &= 0, Q_0 = 3, \{\text{everything, except } y_8\}.
 \end{aligned}$$

So, the analysis has shown that as target factors vertices of x_2 and x_{11} can be chosen. At the same time it is necessary to pay special attention to x_8 vertice. The greatest value for the studied FCM is played by vertices: x_2, x_4, x_{10} and x_{11} .

IV. COMPUTING EXPERIMENT

Simulation modeling has been applied to carrying out a computing experiment. The plan of an experiment including the choice of FCM concepts for definition of development scenarios of CIO by input of simple and complex impulses is developed. As a result of work of experts concepts in which revolting influences are important and most interesting to understanding of development of the situation are defined and/or monitoring of which is most important for tracking a condition of CIO.

Next, the fuzzy cognitive model simulation was carried out, as a result of which different situations of developing situations were constructed, related to the control of the NPP, in order to reduce the negative trends and/or enhance the positive trends. The resulting scenarios respond to the question: «what will occur with the system at time $t(n+1)$ if...».

A fragment of a computer experiment (CE) plan for FCM, consisting the most specific scenarios of the development of FCM is presented (Table II).

TABLE II. FRAGMENT OF THE CE PLAN

Scenario	Impulse	Vertices										
		x_1	x_2	x_3	x_4	x_5	x_6	x_7	x_8	x_9	x_{10}	x_{11}
№ 1	$q_3 = -10$ $q_{11} = -10$			-10								-10
№ 2	$q_2 = -10$ $q_3 = -10$ $q_4 = 10$		-10	-10	10							
№ 3	$q_3 = 10$ $q_{11} = 10$			10								10
№ 4	$q_5 = 10$ $q_8 = 10$ $q_{10} = 10$					10			10		10	

Scenario No. 1. The impulse comes to two vertices. We ask a question: «What will be the system if we reduce $x_3 = -10\%$ and $x_{11} = -10\%$?» (Fig. 2).

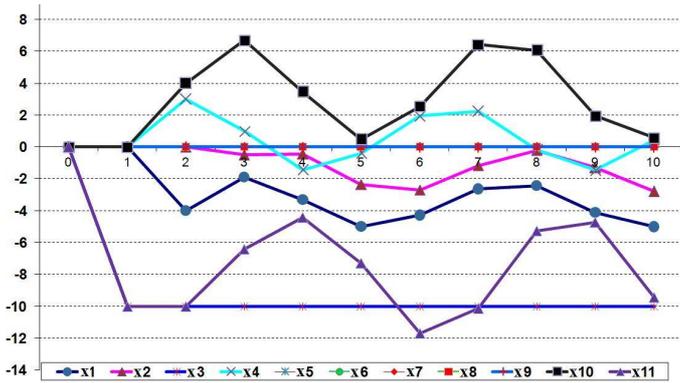


Fig. 2. Scenario №1

Analysis: decrease of x_3 and x_{11} involves increase in personal responsibility of employees (x_{10}) and human factor (x_4). At the same time sharp reduction of safety of the NPP safety (x_{11}) is observed.

Scenario No. 2. The impulse comes to three vertices. We ask a question: «What will be the system if we reduce $x_2 = -10\%$, $x_3 = -10\%$ and increase $x_4 = 10\%?$ » (Fig. 3).

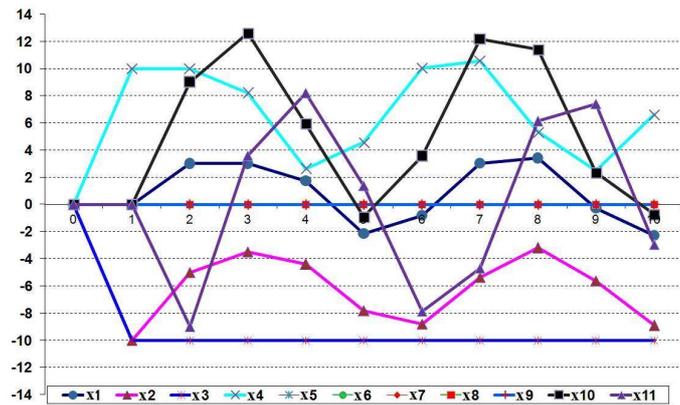


Fig. 3. Scenario №2

Analysis: at decrease of x_2 , x_3 and increase in x_4 on a step 3 increase in personal responsibility of employees (x_{10}) by 13%, increase in influence of a human factor (x_4) by 9% and also NPP safety (x_{11}) by 3% is observed. However on the following steps sharp fluctuations practically to values of all vertices are observed, as speaks about «negativity» of this scenario.

Scenario No. 3. The impulse comes to two vertices. We ask a question: «What will be the system if we increase $x_3 = 10\%$ and $x_{11} = 10\%?$ » (Fig. 4).

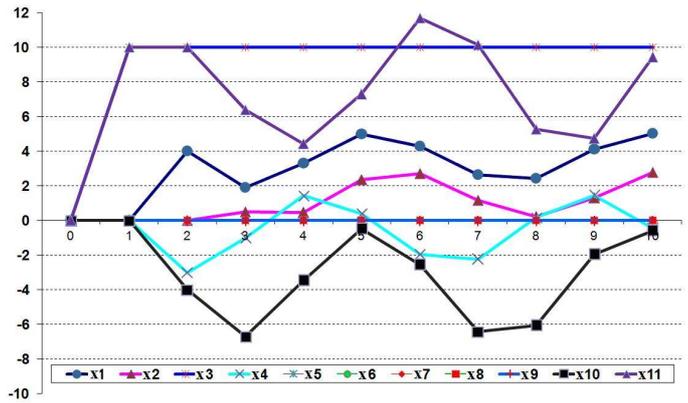


Fig. 4. Scenario №3

Analysis: increase in x_3 and x_{11} on a step 5 leads to increase monitoring system (x_1) for 5%, and to increase the decision-making speed (x_2) for 3%. At the same time personal responsibility of employees (x_{10}) sharply decreases by -7% and a human factor (x_4).

Scenario No. 4. The impulse comes to three vertices. We ask a question: «What will be the system if we increase $x_5 = 10\%$, $x_8 = 10\%$ and $x_{10} = 10\%?$ » (Fig. 5).

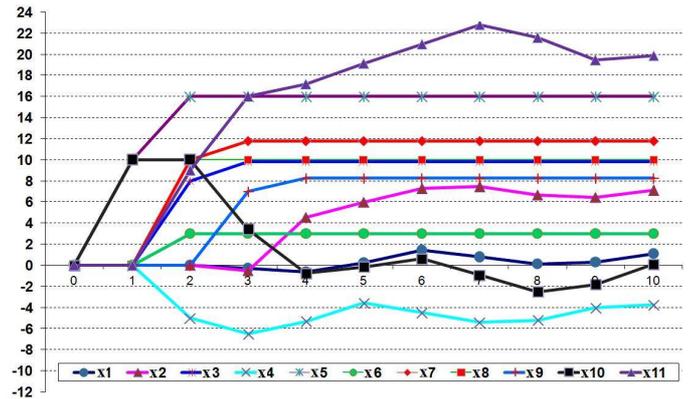


Fig. 5. Scenario №4

Analysis: at increase in x_5 , x_8 and x_{10} increase in values in all vertices except for gradual reduction of a human factor (x_4), the monitoring system (x_1) and personal responsibility of employees (x_{10}) is observed.

Recommendation. The carried-out analysis of the considered scenarios has shown that scenarios No.1 and No. 2 are «negative» and it isn't necessary to allow their realization, and scenarios No. 3 and No. 4 – are «positive».

V. CONCLUSION

Cognitive and simulation modeling is applied to studying of behavior of crucial objects on the example of nuclear power plants. The model of the organizational-control structure in the

form of fuzzy cognitive model is offered for what a list of concepts is defined. The computing experiment is developed and conducted. Some results of the scenarios analysis of possible development of the situation are described, scenarios are developed by means of pulse modeling. It is shown that the offered fuzzy cognitive model combining quantitative and quality indicators, makes it possible to simulate a stable structure of a complex object for the purpose of adoption scientific and objective control decisions. The model can be a basis of development of the analytical monitoring instrument and on-line analysis of the current situation for the purpose of scientific previewing of risky, extreme situations, as a consequence, is sewn from catastrophes in the lifetime of such critically important objects as atomic power stations.

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