







like #5, thus does not generate new increase node, after add #1', lattice shown in figure 4, where overstriking node is new increase node, overstriking real line denotes of connection between it and its generator sub node.

Step 2 add node #2' : it adds after node #1' adds, thus does not consider operation between it and new increase node #5. Compute with node #1, because  $\{TS_1, TS_4\} \cap \{TS_2, TS_3\} = \{\}$ , does not generate new node, compute #2  $\{TS_1, TS_2, TS_4, TS_5\} \cap \{TS_2, TS_3\} = \{TS_2\}$ ,  $\{TP_1\} \cup \{TP_3\} = \{TP_1, TP_3\}$ , gain node #6( $\{TS_2\}, \{TP_1, TP_3\}$ ). In  $L(O_1)$  and  $L(O_2)$  nodes less than #2 and less than #2' have not equal or more than #6, so node #6( $\{TS_2\}, \{TP_1, TP_3\}$ ) is new increase node. Its generate sub formula is #2, by the same way, compute with node #3 and generate new increase node #7( $\{TS_3\}, \{TP_2, TP_3\}$ ). Compute with node #4 and generate new increase node #8( $\{TS_2, TS_3\}, \{TP_3\}$ ), here new increase nodes which express add to  $L(O_1)$ , after add #2' lattice shown in figure 5.

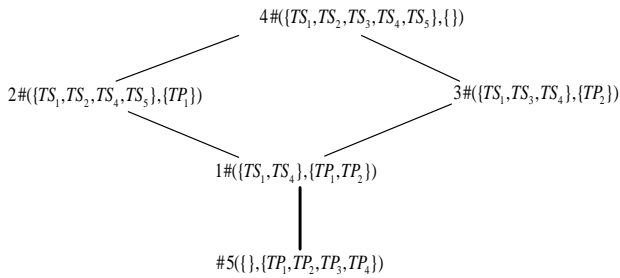


Fig. 4 add node #1' of  $L(O_2)$  in  $L(O_1)$ ,  $L(O_1)$  change sketch map

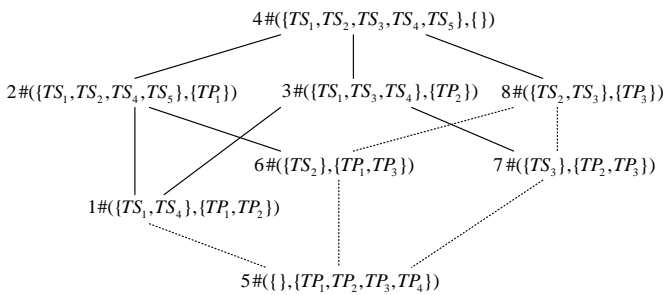


Fig. 5 add node #2' of  $L(O_2)$  in  $L(O_1)$ ,  $L(O_1)$  change sketch map

Step3 add node #3' : because does not consider operation between it and new increase node, first compute with node #1, because  $\{TS_1, TS_4\} \subseteq \{TS_1, TS_4\}$ , node #1 needs update, forms update  $(\{TS_1, TS_4\}, \{TP_1, TP_2\} \cup \{TP_4\}) = (\{TP_1, TP_4\}, \{TP_1, TP_2, TP_4\})$ ; #3' and later #2, #3 and #4 operation form extension  $\{TS_1, TS_4\}$ , thus does not process again, after add #3', lattice actually same as figure 1.

Step 4 add node #4' : only consider it operation with node #2, #3 and #4. Obviously, node #2, #3 and #4 need

update, but node #4' intension is empty, so these node do not change. It is observed that  $L(O_1) \cup L(O_2) = L(O_1 \pm O_2) = L(O)$

## V. Conclusions

In this paper, we have invested the problem of constructing and merging ontology of Web service using concept lattice theory. We form concept lattice and have a novel view to solution the service ontology constructing. And then we conclude the study as a Portrait Union of Multiple Concept lattices algorithm based on the discussion before. A merge example has illustrated the algorithm. Our future work is constructing actual service ontology based on concept and extending the proposed results to another research problem.

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